

Modelling integrated multi-vector energy systems with a detailed account of transport and storage

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wholeSEM workshop Imperial College London 24 May 2016



Research Council

Outline

- 1. Introduction
- 2. Problem statement
- 3. Model (STeMES)
- 4. Example applications
- 5. Conclusion

Introduction

- Why integrated multi-vector networks?
 - Traditionally evolved separately: not necessarily optimal
 - New networks (e.g. H₂) are emerging
 - More interactions between these networks
 - Integrating the networks may increase overall efficiency
- Why do we need a spatio-temporal model
 - Energy demands are not uniformly distributed and exhibit significant variations with time
 - Primary energy resources (particularly renewables) are often localised and intermittent in availability
 - Crucial for accounting properly for transport and storage of resources

Problem statement

Given:

- Spatio-temporal demands for resources and energy services
- Spatio-temporal availability of primary energy sources and raw materials
- Characteristics of each technology (e.g. CAPEX, O&M, efficiency, lifetime)

Determine:

- Network design
 - Location, number and capacity of generation/conversion and storage technologies
 - Structure of transport infrastructure network (transmission and distribution)
 - When and where to purchase/install
 - What interactions
- Network operation
 - Which resources to convert, store and transport (how much, where and when)
 - Which technologies to use at different times
 - Transport flows between different regions

Problem statement (cont...)

Subject to:

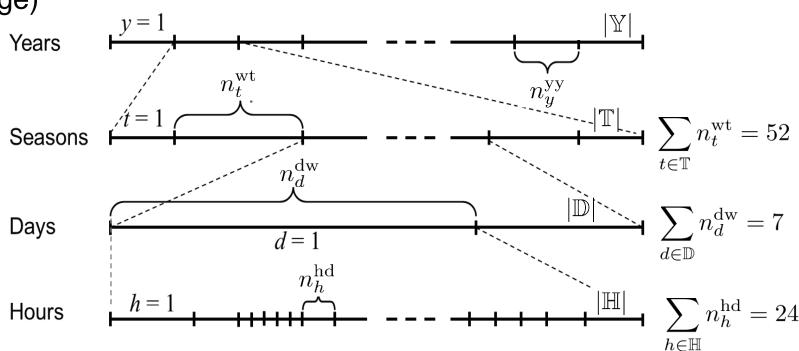
- Demand satisfaction
- Conservation and other physical laws
- Constraints on resources (e.g. land, water), costs and GHG emissions
- Technological constraints (e.g. tech. availability, build rates)
- Social and political constraints (e.g. siting of specific techs)

Objective:

- Minimise cost
- Minimise environmental impact (e.g. GHG emissions)
- Maximise value
- Any combination of the above

Temporal representation

- Long-term strategic decisions
- Short-term operational issues (intermittency, dynamics of energy storage)



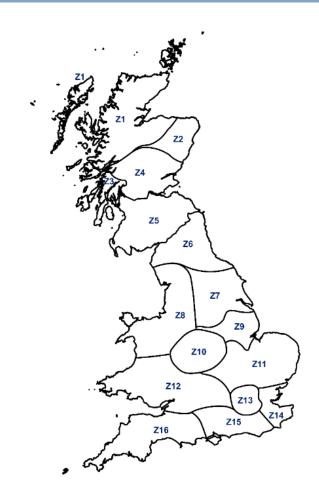
Without storage: multi-period model

With storage: dynamic model; extra variables for initial inventories; extra constraints to link inventories within and between time levels

S. Samsatli, N.J. Samsatli (2015). Computers & Chemical Engineering 80, 155-176, 0098-1354.

Spatial representation

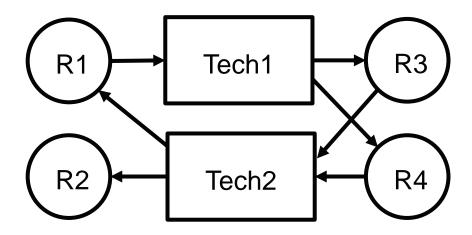
- The region under study divided into a number of zones
- Each zone may:
 - Be of any shape and size
 - Have dynamic demands for various resources
 - Contain some resources that are available in varying quantities
 - Host technologies for conversion and storage of resources
 - Be connected with other cells via transport infrastructures
 - Import or export resources

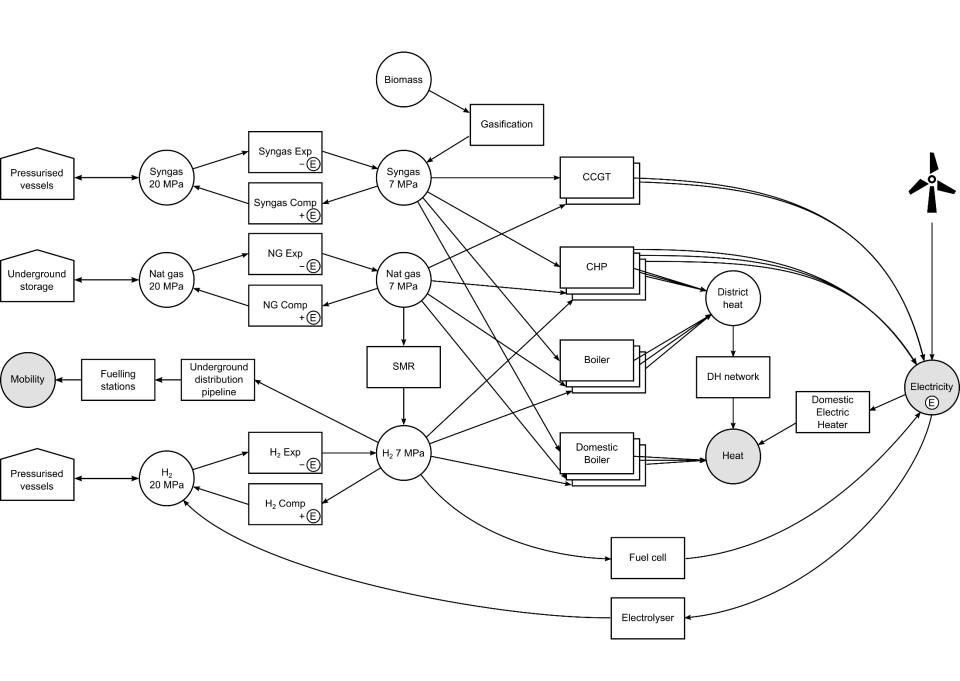


National Grid's SYS study zones

Integrated energy pathways

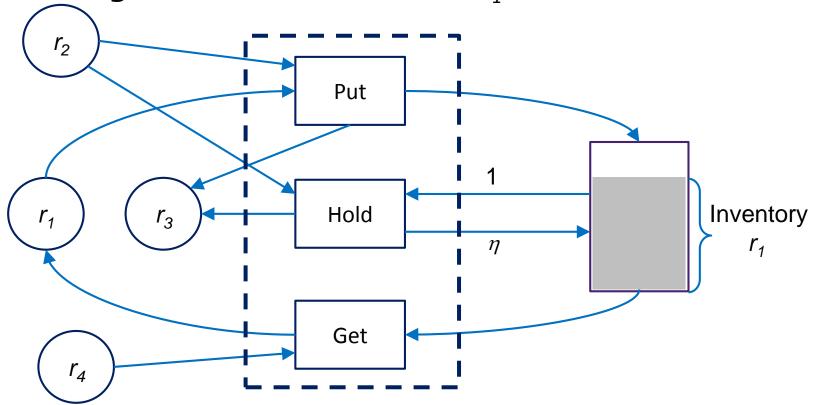
- Represented using Resource-Technology Networks (RTN)
- Able to model the most general situation
 - convert any resource to any other, including recycles (circular chains)
 - store and transport resources at any stage in the chain
- Consider a wide range of different feedstocks and technologies
 - different operating modes to generate different energy vectors
 - heat, electricity, transport fuel etc.





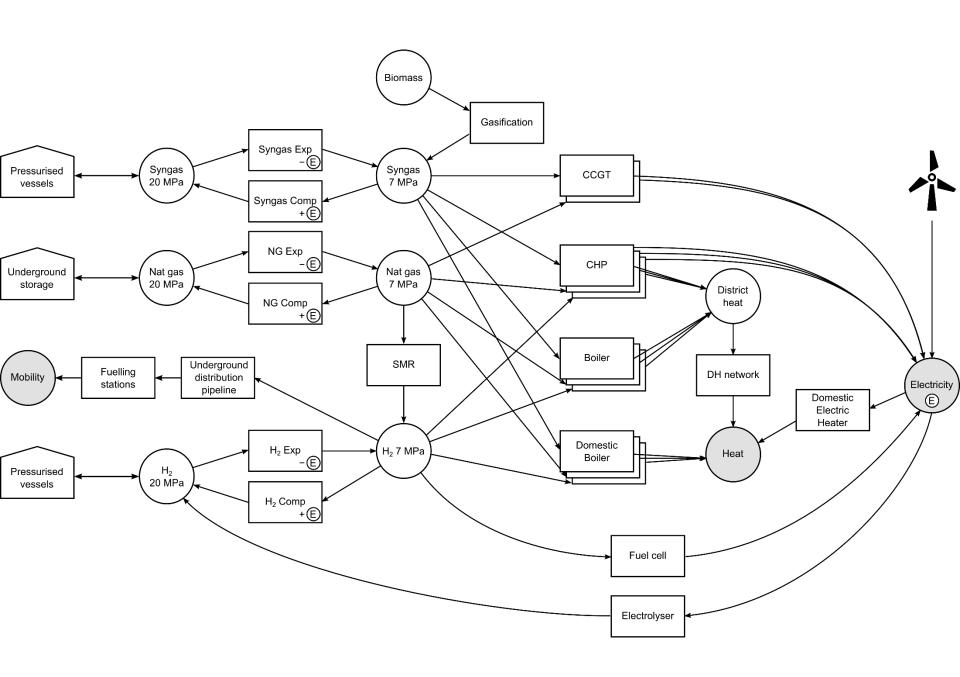
Modelling storage

Set of **storage tasks** to store resource r_1 .

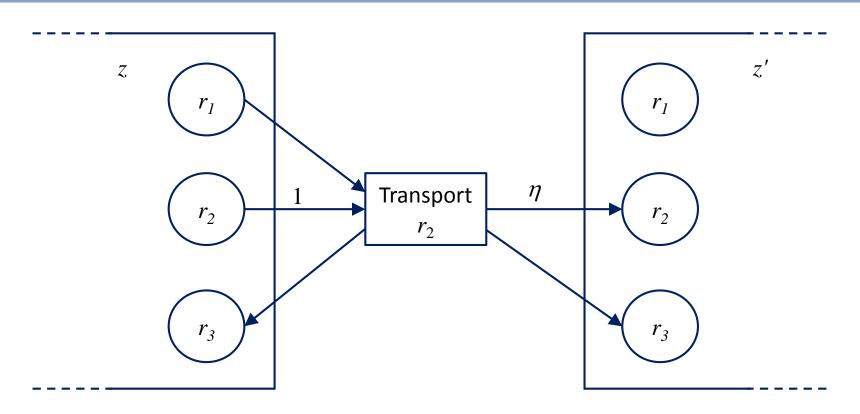


The "put" task transfers r_1 from the zone to the store, requiring some r_2 and producing some wastes r_3 (e.g. CO_2). The "hold" task maintains r_1 in storage which could be at less than 100% efficiency, the losses being converted to r_3 ; this task may also require some r_2 . Finally, the "get" task retrieves r_1 from storage and delivers it to the zone, requiring some r_4 .

S. Samsatli, N.J. Samsatli (2015). Computers & Chemical Engineering 80, 155-176, 0098-1354.

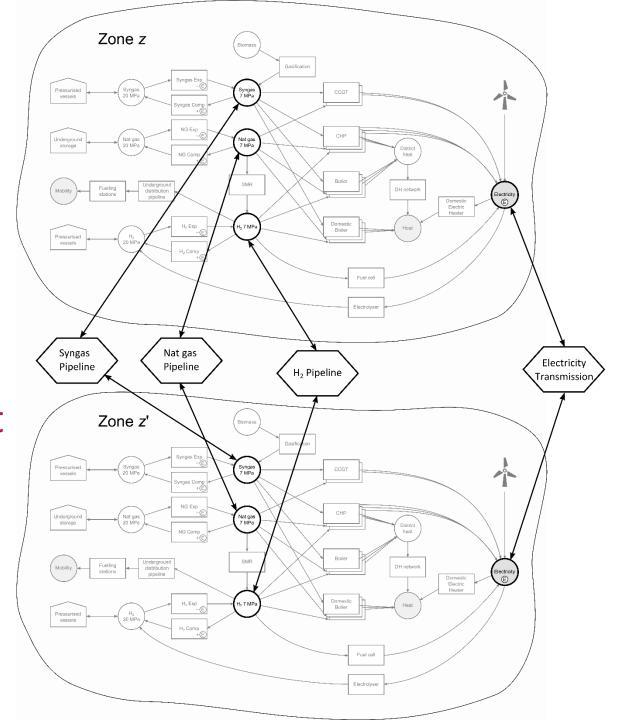


Modelling transport



Resource r_2 is transported from zone z to zone z, which requires r_1 from zone z and results in waste r_3 being generated in both zones

Transmission
technologies
connect the
networks
between different
zones



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Pipeline model in gPROMS (used to determine max flow)

$$\frac{\partial \rho}{\partial t} + \frac{\partial (\rho v)}{\partial z} = 0 \qquad \forall z \in (0, L]$$

$$\rho \frac{\partial w_i}{\partial t} + \rho v \frac{\partial w_i}{\partial z} = 0 \qquad \forall z \in (0, L], i = 1, \dots, N_{\text{comp}}$$

$$\rho \frac{\partial v}{\partial t} + \rho v \frac{\partial v}{\partial z} = -\frac{\partial P}{\partial z} - \frac{4}{D} f \frac{\rho v |v|}{2} - \rho g \sin \alpha \qquad \forall z \in [0, L)$$

$$\frac{1}{\sqrt{f}} = -1.8 \log_{10} \left[\left(\frac{\varepsilon/D}{3.7} \right)^{1.11} + \frac{6.9}{\text{Re}} \right] \qquad \forall z \in [0, L]$$

$$\frac{\partial}{\partial t} \left[\rho(u + v^2/2) \right] + \frac{\partial}{\partial z} \left[\rho v(h + v^2/2) \right] + \rho g v \sin \alpha = \frac{4}{D} q \qquad \forall z \in (0, L]$$



Resource balance and availability

Resource balance:

$$U_{rzhdty} + M_{rzhdty} + P_{rzhdty} + S_{rzhdty} + Q_{rzhdty} \ge D_{rzhdty} + X_{rzhdty}$$
$$\forall r \in \mathbb{R}, \ z \in \mathbb{Z}, \ h \in \mathbb{H}, \ d \in \mathbb{D}, \ t \in \mathbb{T}, \ y \in \mathbb{Y}$$

Resource utilisation: $U_{rzhdty} \leq u_{rzhdty}^{\max} \quad \forall r \in \mathbb{R}, z \in \mathbb{Z}, h \in \mathbb{H}, d \in \mathbb{D}, t \in \mathbb{T}, y \in \mathbb{Y}$

Wind power potential: $u_{\mathrm{Elec},zhdt}^{\mathrm{max}} = 0.5 \times 10^{-6} \eta \rho^{\mathrm{air}} \pi N_{zy}^{\mathrm{WT}} \left(R^{\mathrm{WT}}\right)^{2} v_{zhdty}^{3}$

Biomass potential: $\sum_{hd} U_{\mathrm{Bio},zhdty} n_h^{\mathrm{hd}} n_d^{\mathrm{dw}} n_t^{\mathrm{wt}} \leq A_{zy}^{\mathrm{Bio}} Y_{zty}^{\mathrm{Bio}} \qquad \forall z \in \mathbb{Z}, \ t \in \mathbb{T}, \ y \in \mathbb{Y}$

Land footprint constraints:

Wind turbines: $\pi \left(5R^{\mathrm{WT}}\right)^2 N_{zy}^{\mathrm{WT}} \leq A_{zy}^{\mathrm{WT,max}} \qquad \forall z \in \mathbb{Z}, \ y \in \mathbb{Y}$

Biomass (each zone): $A_{zy}^{\text{Bio}} \leq f_{zy} A_{zy}^{\text{Bio,max}} \quad \forall z \in \mathbb{Z}, \ y \in \mathbb{Y}$

Biomass (GB): $\sum A_{zy}^{\mathrm{Bio}} \leq f_y^{\mathrm{GB}} \sum A_{zy}^{\mathrm{Bio},\mathrm{max}} \qquad \forall y \in \mathbb{Y}$

Constraints for conversion technologies

Net production of resource
$$r$$
:
$$P_{rzhdty} = \sum_p \mathscr{P}_{pzhdty} \alpha_{rpy}$$
 Min/max rate of operation
$$N_{pzy}^{\mathrm{P}} p_p^{\min} \leq \mathscr{P}_{pzhdty} \leq N_{pzy}^{\mathrm{P}} p_p^{\max}$$

Technology balance:
$$N_{pzy}^P = N_{pz,y-1}^P + NI_{pzy}^P - NR_{pzy}^P$$

Retirements:
$$NR_{pzy}^{P} = \sum_{y'} RF_{py'y}^{P} NI_{pzy'}^{P}$$

Max build rate:
$$\sum_{z} NI_{pzy}^{P} \leq BR_{py}$$

 Number of domestic technologies is continuous instead of integers for computational efficiency (i.e. fraction of penetration)

Constraints for transport technologies

Net transport of resource *r*:

$$\begin{aligned} Q_{rzhdty} &= \sum_{z'|\nu_{z'z}=1} \sum_{l \in \mathbb{L}} \left[\left(\bar{\tau}_{lr,\mathrm{dst},y} + \hat{\tau}_{lr,\mathrm{dst},y} d_{z'z} \right) \mathcal{Q}_{lz'zhdty} \right] \\ &+ \sum_{z'|\nu_{zz'}=1} \sum_{l \in \mathbb{L}} \left[\left(\bar{\tau}_{lr,\mathrm{src},y} + \hat{\tau}_{lr,\mathrm{src},y} d_{zz'} \right) \mathcal{Q}_{lzz'hdty} \right] \end{aligned}$$

Max rate of operation:
$$\mathcal{Q}_{lzz'hdty} \leq \sum_{b \in \mathbb{B}} q_l^{\max} N_{bzz'y}^{\mathrm{B}}|_{LB_{lb}=1 \wedge \nu_{zz'}=1}$$

Max infrastructure capacity:
$$\sum_{l \in \mathbb{L}} \mathscr{Q}_{lzz'hdty} LB_{lb} \leq b_b^{\max} N_{bzz'y}^{\mathrm{B}}$$

Infrastructure balance:
$$N_{bzz'y}^{\mathrm{B}} = N_{bzz',y-1}^{B} + NI_{bzz'y}^{\mathrm{B}}$$

Bi-directional links:

$$N_{bzz'y}^{\mathrm{B}} = N_{bz'zy}^{\mathrm{B}} \qquad \forall b \in \mathbb{B} | \beta_b = 1, \ z \neq z' \in \mathbb{Z}$$

Constraints for storage technologies

$$\text{Max charging and discharging rates:} \begin{array}{l} \mathscr{S}^{\text{put}}_{szhdty} \leq N^{\text{S}}_{szy} s^{\text{put}, \text{max}}_{s} a_{sz} \\ \\ \mathscr{S}^{\text{get}}_{szhdty} \leq N^{\text{S}}_{szy} s^{\text{get}, \text{max}}_{s} a_{sz} \end{array}$$

Net inflow of resource r due to storage operations:

$$S_{rzhdty} = \sum_{s} \left(\mathscr{S}_{szhdty}^{\text{put}} \sigma_{sr,\text{src},y}^{\text{put}} + \mathscr{S}_{szhdty}^{\text{hold}} \sigma_{sr,\text{dst},y}^{\text{hold}} + \mathscr{S}_{szhdty}^{\text{get}} \sigma_{sr,\text{dst},y}^{\text{get}} \right)$$

Inventory levels:

$$I_{szhdty} = n_h^{\text{hd}} \sum_{r} \left(\mathscr{S}_{szhdty}^{\text{put}} \sigma_{sr,\text{dst},y}^{\text{put}} + \mathscr{S}_{szhdty}^{\text{hold}} \sigma_{sr,\text{src},y}^{\text{hold}} + \mathscr{S}_{szhdty}^{\text{get}} \sigma_{sr,\text{src},y}^{\text{get}} \right)$$

Changes in inventory:

Daily:
$$\delta_{szdty}^{ ext{d}} = I_{sz,|\mathbb{H}|,dty} - I_{szdty}^{0, ext{sim}}$$

Weekly:
$$\delta_{szty}^{\mathrm{t}} = \sum_{d} \delta_{szdty}^{\mathrm{d}} n_{d}^{\mathrm{dw}}$$

Yearly:
$$\delta_{szy}^{ ext{y}} = \sum_{t} \delta_{szty}^{ ext{t}} n_{t}^{ ext{wt}}$$

Cyclic constraint:
$$\delta^{\mathrm{y}}_{szy} = 0$$

Constraints for storage technologies (cont...)

Link inventories between different time levels:

$$I_{szdty}^{0,\text{act}} = I_{sz,d-1,ty}^{0,\text{act}} + n_{d-1}^{\text{dw}} \delta_{sz,d-1,ty}^{\text{d}}$$

$$I_{sz,1,ty}^{0,\text{act}} = I_{sz,1,t-1,y}^{0,\text{act}} + n_{t-1}^{\text{wt}} \delta_{sz,t-1,y}^{\text{t}}$$

$$I_{sz,1,1,y}^{0,\text{act}} = I_{sz,1,1,y-1}^{0,\text{act}} + n_{y-1}^{\text{yy}} \delta_{sz,y-1}^{\text{y}}$$

Shift inventory levels to match average:

$$I_{szdty}^{0,\text{sim}} = I_{szdty}^{0,\text{act}} + \left[\left(n_d^{\text{dw}} - 1 \right) \delta_{szdty}^{\text{d}} + \left(n_t^{\text{wt}} - 1 \right) \delta_{szty}^{\text{t}} + \left(n_y^{\text{yy}} - 1 \right) \delta_{szy}^{\text{y}} \right] / 2$$

$$\mathscr{S}_{sz,1,dty}^{\text{hold}} = I_{szdty}^{0,\text{sim}} / n_1^{\text{hd}} \qquad \mathscr{S}_{szhdty}^{\text{hold}} = I_{sz,h-1,dty} / n_h^{\text{hd}}$$

Storage capacity constraints:

$$s_{s}^{\mathrm{hold,min}}N_{szy}^{S}a_{sz} \leq I_{szhdty} \pm \left[\left(n_{d}^{\mathrm{dw}}-1\right)\delta_{szdty}^{\mathrm{d}} \pm \left(n_{t}^{\mathrm{wt}}-1\right)\delta_{szty}^{\mathrm{t}} \pm \left(n_{y}^{\mathrm{yy}}-1\right)\delta_{szy}^{\mathrm{y}}\right]/2 \leq s_{s}^{\mathrm{hold,max}}N_{szy}^{S}a_{sz}$$

Objective function

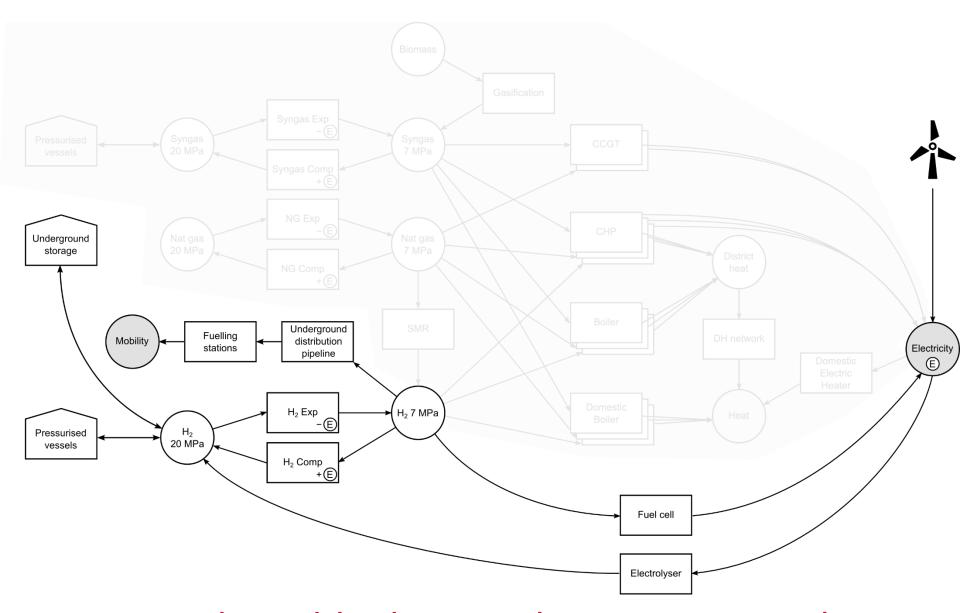
Minimise
$$Z = \sum_{iy} \omega_i \left(\mathscr{I}_{iy}^{W} + \mathscr{I}_{iy}^{P} + \mathscr{I}_{iy}^{Q} + \mathscr{I}_{iy}^{S} + \mathscr{I}_{iy}^{W} + \mathscr{I}_{iy}^{P} \right)$$

 $+ \mathscr{I}_{iy}^{q} + \mathscr{I}_{iy}^{s} + \mathscr{I}_{iy}^{r} + \mathscr{I}_{iy}^{m} + \mathscr{I}_{iy}^{x} - \mathscr{I}_{iy}^{Rev}$

Impacts $\forall i \in \mathbb{I}, \ y \in \mathbb{Y}$		
•	Capital	O&M
Wind turbines	$\mathscr{I}_{iy}^{\mathrm{W}} = \varsigma \sum_{z} D_{y}^{\mathrm{C}} C_{iy}^{\mathrm{WT}} N I_{zy}^{\mathrm{WT}}$	$\mathscr{I}_{iy}^{\mathrm{w}} = \varsigma \sum_{z} D_{y}^{\mathrm{OM}} F_{iy}^{\mathrm{WT}} N_{zy}^{\mathrm{WT}}$
Conversion techs	$\mathscr{I}_{iy}^{\mathrm{P}} = \varsigma \sum_{pz} D_{piy}^{\mathrm{C}} C_{piy}^{\mathrm{P}} N I_{pzy}^{P}$	$\mathscr{I}_{iy}^{ ext{P}} = arsigma \sum_{pz} D_y^{ ext{OM}} F_{piy}^{ ext{P}} N_{pzy}^P$
Transport techs	$\mathscr{I}_{iy}^{\mathrm{Q}} = 0.5\varsigma \sum_{bzz'} D_{biy}^{\mathrm{C}} C_{biy}^{\mathrm{B}} N I_{bzz'y}^{B} d_{zz'})$	$\mathscr{I}_{iy}^{\mathrm{q}} = 0.5\varsigma \sum_{bzz'} D_y^{\mathrm{OM}} F_{biy}^{\mathrm{B}} N_{bzz'y}^B d_{zz'}$
Storage techs	$\mathscr{I}_{iy}^{\mathrm{S}} = \varsigma \sum_{sz} D_{siy}^{\mathrm{C}} C_{siy}^{\mathrm{S}} N I_{szy}^{S}$	$\mathscr{I}_{iy}^{\mathrm{s}} = \varsigma \sum_{sz} D_y^{\mathrm{OM}} F_{siy}^{\mathrm{S}} N_{szy}^{S}$
Primary resource production	$\mathscr{I}_{iy}^{\mathrm{r}} = \varsigma \sum_{zhdt} D_{y}^{\mathrm{OM}} \left(R P_{izty}^{\mathrm{Bio}} A_{zy}^{\mathrm{Bio}} Y_{zty}^{\mathrm{Bio}} + \sum_{r\neq j} S_{rj}^{\mathrm{Bio}} \right)$	$\sum_{t \in \mathrm{Bio}} RP_{rizhdty} U_{rzhdty} n_h^{\mathrm{hd}} n_d^{\mathrm{dw}} n_t^{\mathrm{wt}} n_y^{\mathrm{yy}} $

$$\textbf{Export/import} \ \ \mathscr{I}_{iy}^{\mathbf{x}} = \varsigma \sum_{rzhdt} D_{y}^{\mathbf{OM}} V_{riy}^{\mathbf{X}} X_{rzhdty} n_{h}^{\mathbf{hd}} n_{d}^{\mathbf{dw}} n_{t}^{\mathbf{wt}} \quad \ \mathscr{I}_{iy}^{\mathbf{m}} = \varsigma \sum_{rzhdt} D_{y}^{\mathbf{OM}} V_{riy}^{\mathbf{M}} M_{rzhdty} n_{h}^{\mathbf{hd}} n_{d}^{\mathbf{dw}} n_{t}^{\mathbf{wt}}$$

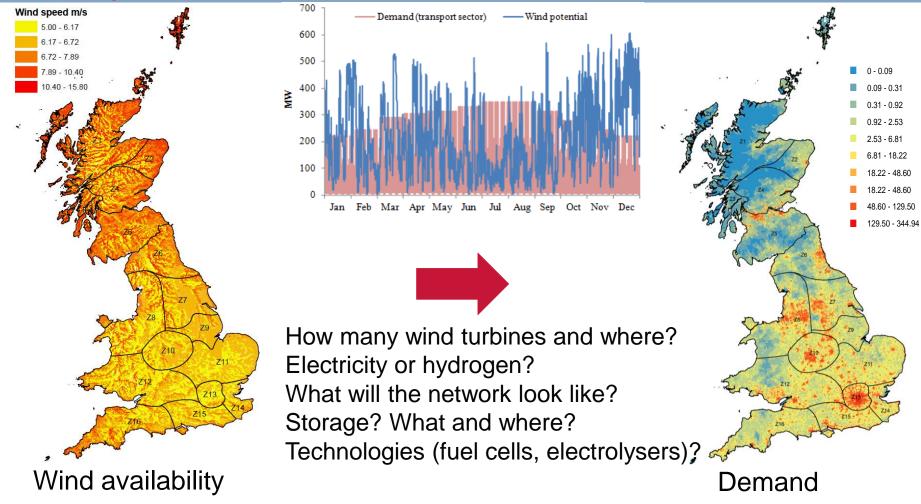
Revenue
$$\mathscr{I}_{iy}^{\mathrm{Rev}} = \varsigma \sum_{xzhdt} D_y^{\mathrm{OM}} V_{riy}^{\mathrm{Rev}} D_{rzhdty} n_h^{\mathrm{hd}} n_d^{\mathrm{dw}} n_t^{\mathrm{wt}}$$



Integrated wind-hydrogen-electricity network to decarbonise the domestic transport sector

Imperial College London

Meeting domestic transport demand using only on-shore wind



S. Samsatli, I. Staffell, N.J. Samsatli (2016). Optimal design and operation of integrated wind-hydrogen-electricity networks for decarbonising the domestic transport sector in Great Britain. International Journal of Hydrogen Energy, 41, 447-475.

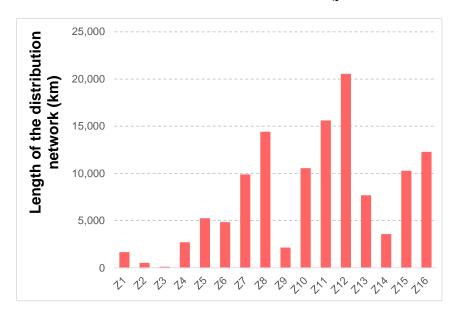
Distribution network

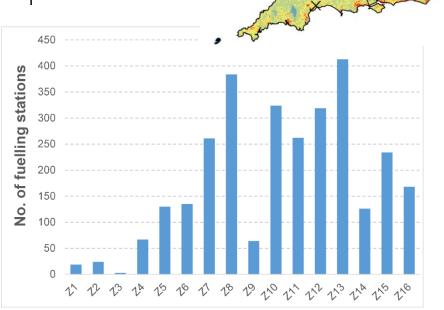
Length of the distribution pipeline network

$$L_z^{network} = \iint_{S_z} \frac{D(x,y)}{C} \sqrt{(x-x_z)^2 + (y-y_z)^2} \, dx \, dy$$

Number of fuelling stations:

$$N_z^{stations} = \left\lceil \frac{1}{C} \iint_{S_z} D(x, y) \ dx \ dy \right\rceil$$





Wind turbine siting constraints

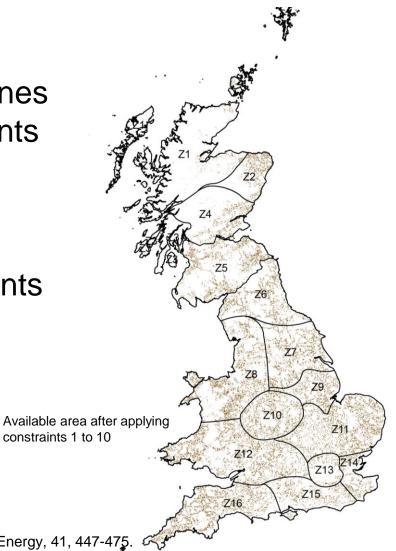
Criteria used to determine the total land area in each zone suitable for siting wind turbines

- 1. Average wind speed of at least 5m/s at 45m above ground level
- 2. Slope of less than 15%
- 3. Access: a minimum distance of 500m from minor road network
- Connectivity to National Grid: at least 200m but not more than 1500m from major road network
- 5. Not in SSSI (Sites of Special Scientific Interest)
- 6. Population impacts: at least 500m from DLUA (developed land used area
- 7. Water pollution: at least 200m from river
- 8. Wildlife and interference: at least 250m from woodland
- 9. Safety: at least 5km from airports
- 10. Not occupied by existing wind turbines including spacing between turbines of 5 rotor diameters



Land footprint constraint

- Total available area for wind turbines
 - Intersection of the 10 constraints
 - 2% of total GB area
- Total available area in each zone defines the land footprint constraints in the model



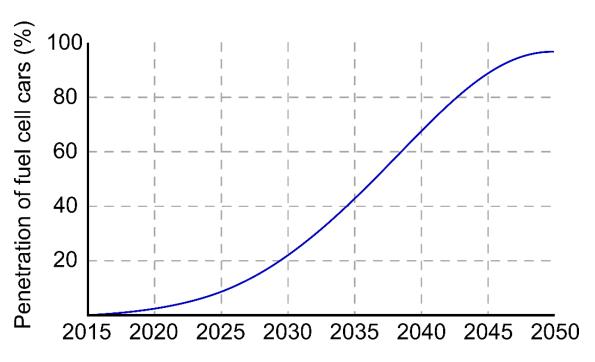
Spatio-temporal input data

- Hourly time-series wind data obtained from the Virtual Wind Farm Model*
- Future wind speed derived from the UKCP09

Hourly demand time-series data from DfT data for vehicular

usage

 Future demand data projected assuming a trajectory of penetration of fuel cell cars



^{*} I. Staffell and R. Green. Renewable Energy, 66(0):775 – 786, 2014.

Network configuration for net present cost minimisation

Compressor (63.76MW₂)

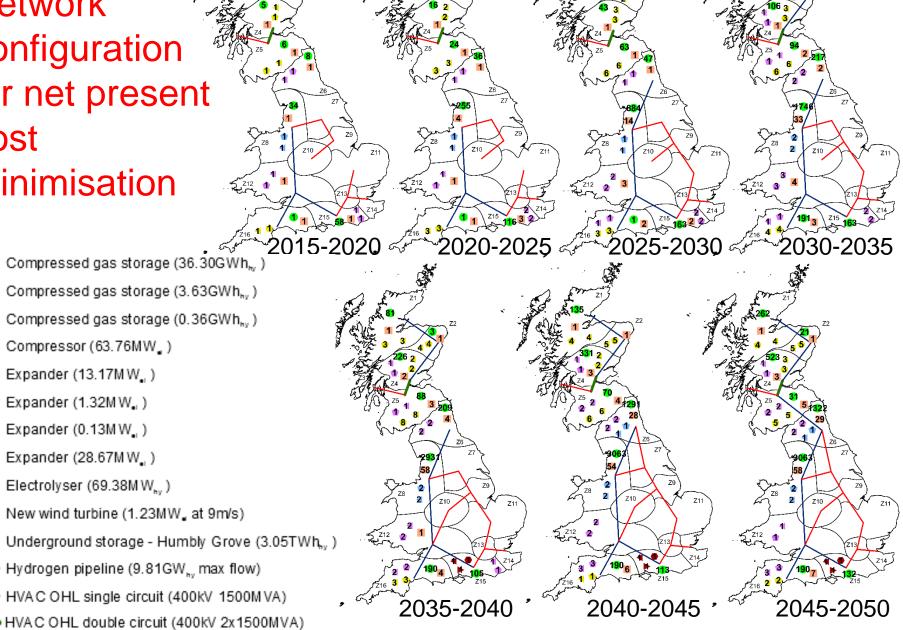
Expander (13.17M W.,)

Expander (1.32M W.,)

Expander (0.13M W.,)

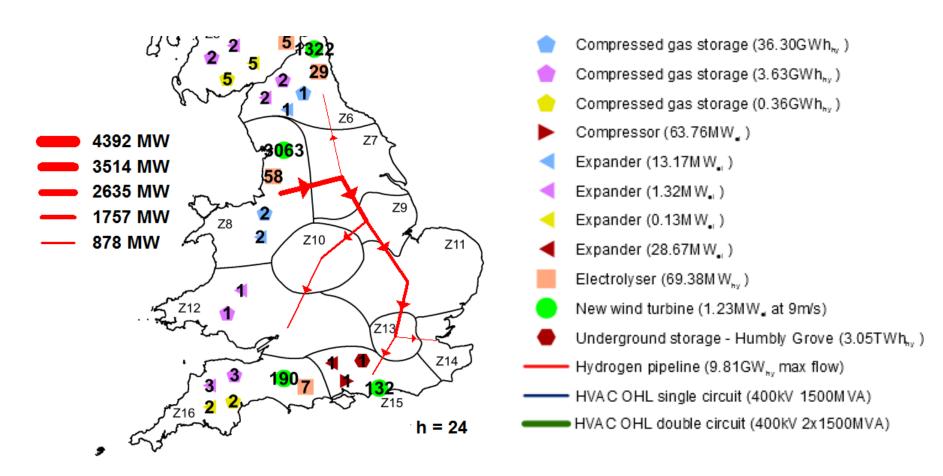
Expander (28.67M W.,)

Electrolyser (69.38M W_{b.})



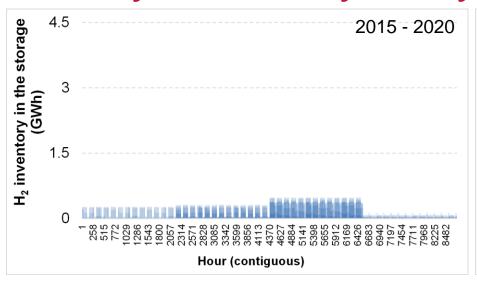
Operation of the hydrogen transmission network

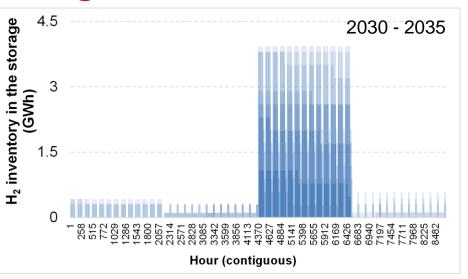
Snapshot during weekdays in summer in 2045-2050



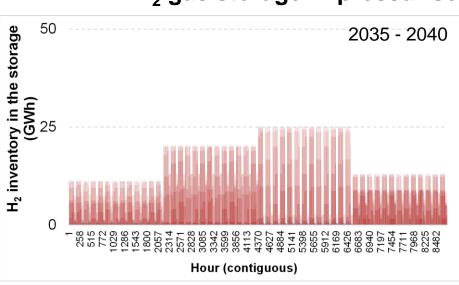
View in slide show mode for the animation

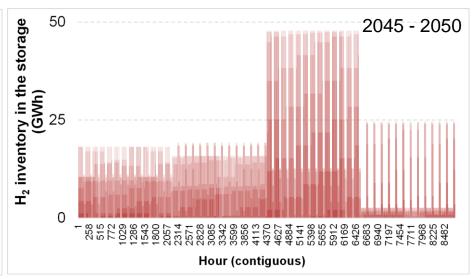
Hourly inventory of hydrogen in zone 15





H₂ gas storage in pressurised vessels from 2015 to 2035





Switching to Humbly Grove underground storage until 2050

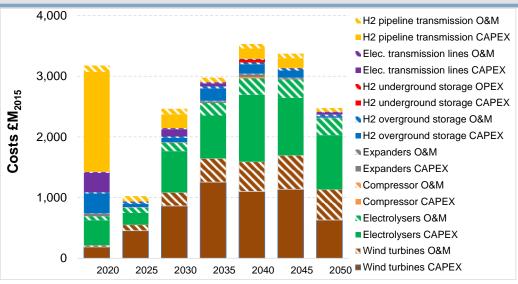
Imperial College London

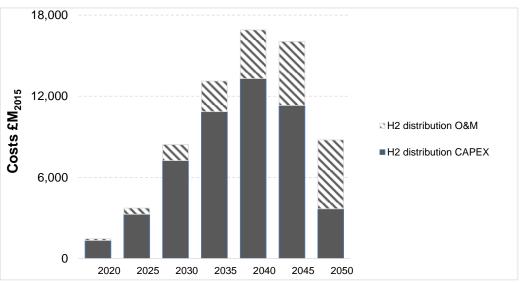
Costs

Net present cost = £87.5 bn

Total avoided CO_2 emissions = 2 bn t

Cost of avoided CO₂: £43.75/t



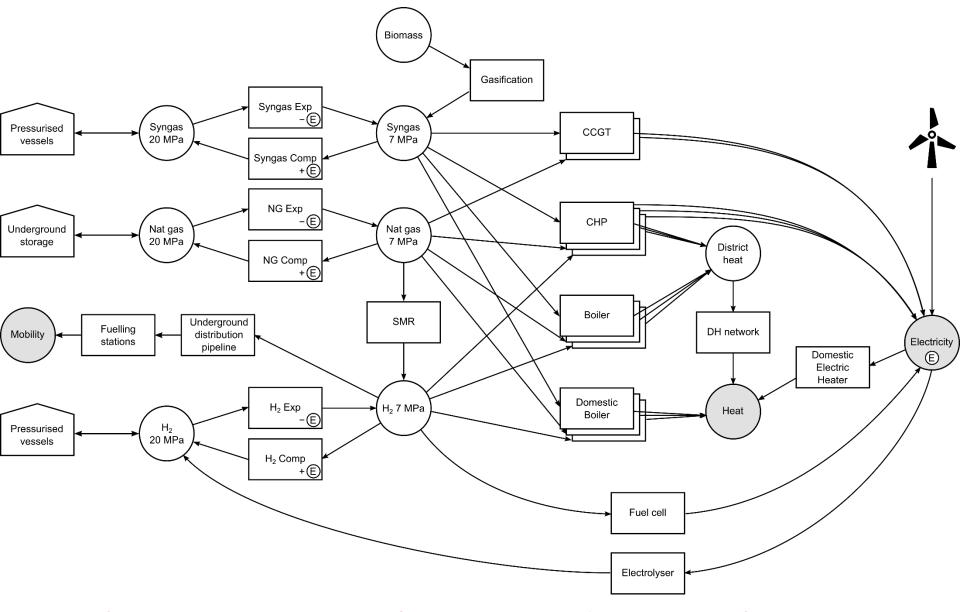




Computational statistics

- Number of variables: 1,500,000 (10,100 integers)
- Number of constraints: 3,350,000
- Full solution takes > 2 weeks
- With decomposition method* takes about 2 days

^{*}S. Samsatli and N. Samsatli (2015). A general spatio-temporal model of energy systems with a detailed account of transport and storage. Computers and Chemical Engineering 80, 155-176, 0098-1354.



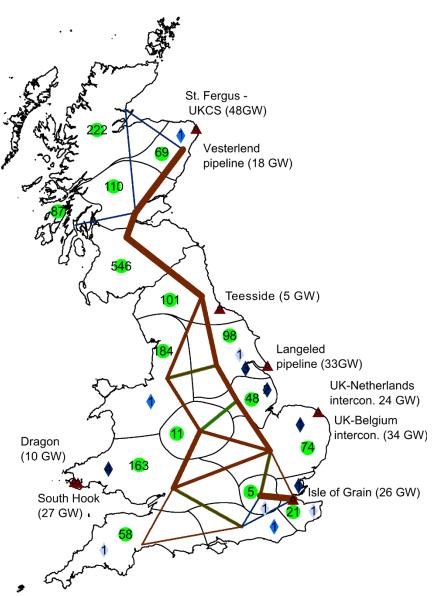
Multi-vector network to meet domestic heat, electricity and transport fuel (H₂) demands

Existing assets and natural gas availability

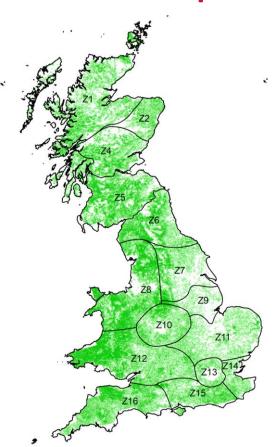
- —— Natural gas pipeline (14.3 GW max flow)
- —— HVAC OHL single circuit (400 kV 1500 MVA)
- HVAC OHL double circuit (400 kV 2x1500 MVA)
 - ♦ CCGT natural gas (1.5 GW)
 - CCGT natural gas (1 GW)
 - CCGT natural gas (0.5 GW)
 - Wind turbine (1.23 MW at 9m/s)
 - Natural gas terminal

Assumptions:

- Natural gas availability decreases by 2% every year
- Existing wind turbine capacity retires over 15 years (1/3 every 5 years)
- Existing CCGT plants retire 30 years after they were built



Biomass production



All grassland in GB 32% of GB land area

Miscanthus properties:

Yield potential: 5.34 odt/ha (Winter)

3.58 odt/ha (Spring)

Calorific value: 3.92 MWh/odt

Production cost: £41.59/odt CO₂ emissions: 15 kg/MWh

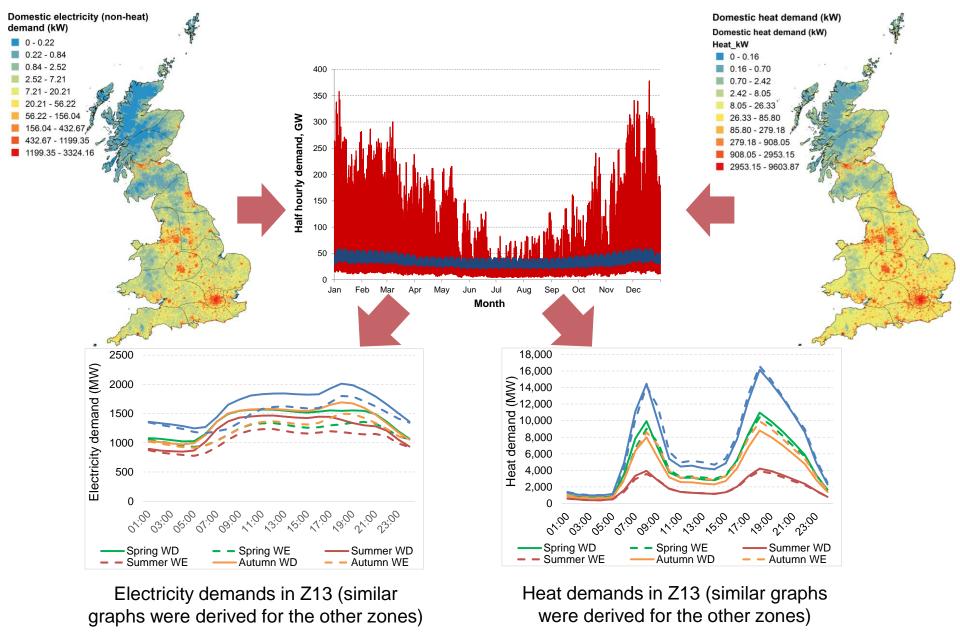
After excluding land area with

- Elevation > 250 m
- Slope > 15%
- Urban areas/roads/rivers, parks
- Protected areas, SSSI
- Area of outstanding beauty



13% of total GB area

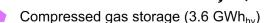
In the case study, further imposed that only 10% of this is available for biomass



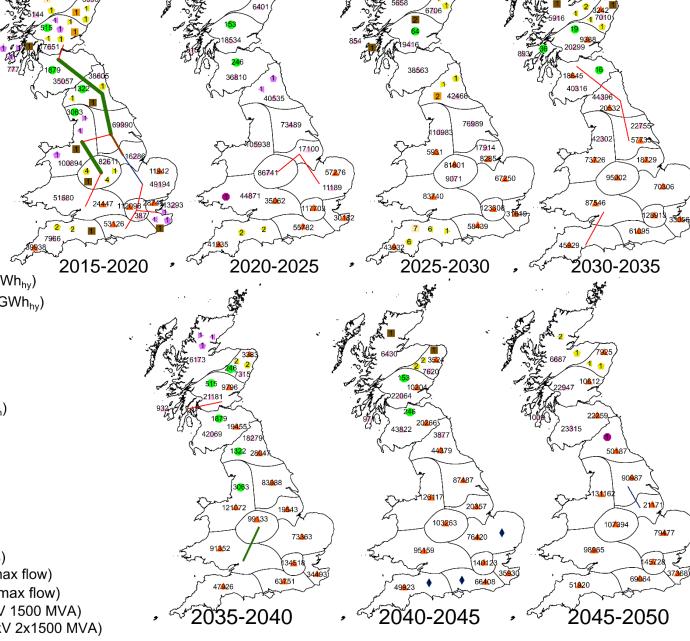
• Demands in 2009; were projected into the future assuming a fixed growth rate

NPV maximisation

Staged investments



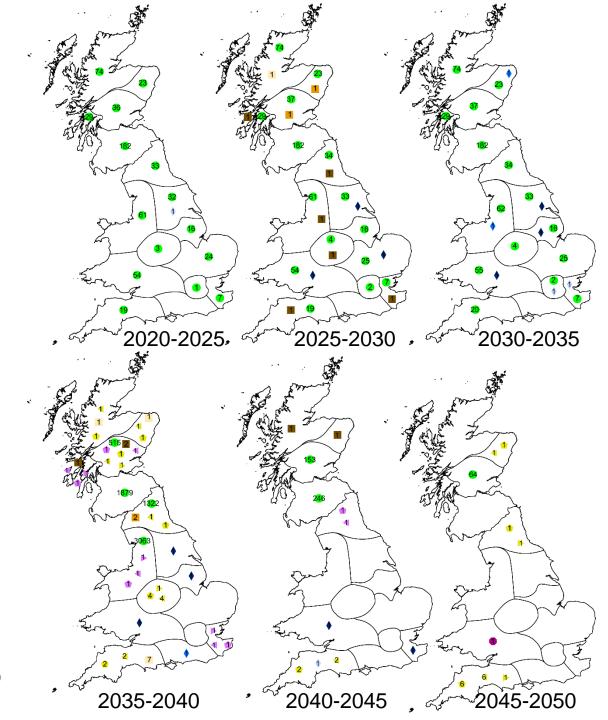
- Compressed gas storage (0.36 GWh_{hy})
- Compressor (2.54 MW_{el})
- Compressor (0.25 MW_{el})
- Expander (1.3 MW_{el})
- Expander (0.13 MW_{el})
- ▲ Elec. heater Domestic (28 kW_{th})
- Electrolyser (69.38 MW_{hy})
- Electrolyser (42 MW_{hy})
- Electrolyser (14 MW_{hv})
- ▲ H2 boiler Domestic (28 kW_{th})
- ♦ Nat. gas CCGT (1.5 GW_{el})
- SMR (13.18 GW_{hv})
- Wind turbine (1.23 MW_{el} at 9m/s)
- Hydrogen pipeline (9.81 GW_{hv} max flow)
- Natural gas pipeline (14.3 GW max flow)
- —— HVAC OHL single circuit (400 kV 1500 MVA)
 - HVAC OHL double circuit (400 kV 2x1500 MVA)



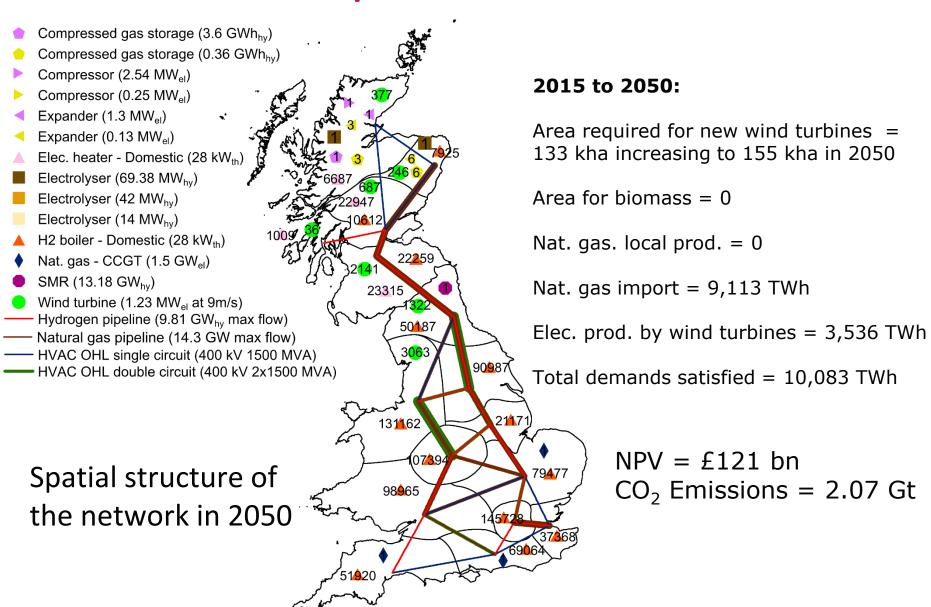
NPV maximisation

Technology retirements

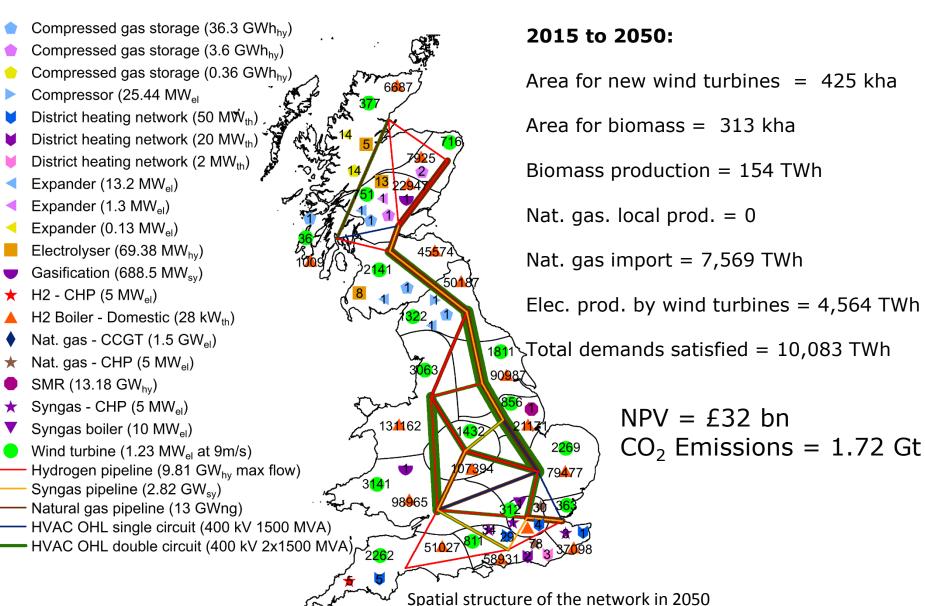
- Compressed gas storage (3.6 GWh_{hv})
- Compressed gas storage (0.36 GWh_{hy})
- Compressor (2.54 MW_{el})
- Compressor (0.25 MW_{el})
- Expander (1.3 MW_{el})
- Expander (0.13 MW_{el})
- Elec. heater Domestic (28 kW_{th})
- Electrolyser (69.38 MW_{hy})
- Electrolyser (42 MW_{hv})
- Electrolyser (14 MW_{hy})
- ▲ H2 boiler Domestic (28 kW_{th})
- Nat. gas CCGT (1.5 GW_{el})
- SMR (13.18 GW_{hv})
- Wind turbine (1.23 MW_{el} at 9m/s)
 Hydrogen pipeline (9.81 GW_{hv} max flow)



Maximise net present value



Minimise CO₂ emissions



Conclusion

- A spatio-temporal model is needed because primary resource availability and energy service demands are distributed in space and time
- Developed a powerful modelling framework applicable to a wide range of integrated multi-vector energy networks
 - Simultaneously determines design and operation
 - Flexible temporal resolution simultaneously both:
 - Hourly intervals for operation
 - Long-term planning horizon (to 2050 or beyond)
 - Flexible spatial representation
 - Can be applied to any region/country
 - Trade off with temporal resolution (model size)
 - New networks can be easily added without changing mathematical formulation



Work in progress and future work

- Uncertainty analysis
- H₂ injection into the nat. gas grid
- Pipeline storage
- CO₂ value chains

